## **Chemical Kinetics**

Presentation by Dept. Of Chemistry

# Theories of Chemical Kinetics: Collision Theory

- Before atoms, molecules, or ions can react, they must first collide.
- An *effective* collision between two molecules puts enough energy into key bonds to break them.
- The *activation energy*  $(E_a)$  is the minimum energy that must be supplied by collisions for a reaction to occur.
- A certain fraction of all molecules in a sample will have the necessary activation energy to react; that fraction increases with increasing temperature.
- The *spatial orientations* of the colliding species may also determine whether a collision is effective.

# Application of collision theory to bimolecular reactions

The rate of the reaction can be calculated from the rate at which the reactant molecules are colliding

So the collision rate or collision number (number of collisions per unit volume per unit time) is expressed as

$$Z_{AB} = N_A N_B \pi (r_A + r_B)^2 \overline{u}_{rel}$$

$$Z_{AB} = N_A N_B \sigma \sqrt{\frac{8k_B T}{\pi \mu}}$$

$$\sigma = \pi (r_A + r_B)^2$$
 = Collision cross section

#### Effect of concentration or temperature on the rate of a reaction

## If the concentration or temperature of a reactant is increased the reaction goes faster.

When the reactants have a <u>higher temperature</u>, they move faster, thereby <u>increasing</u> the chance of a <u>collision</u>.

When the reactants have a <u>lower temperature</u>, they move slower, thereby <u>decreasing</u> the chance of a <u>collision</u>.

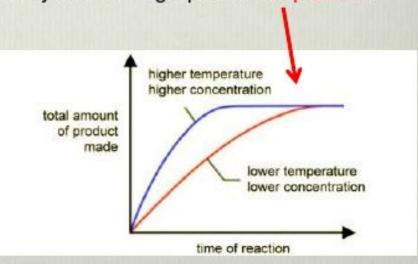
When the reactants are <u>less</u> concentrated there is <u>less</u> chance of a <u>collision</u>. When the reactants are <u>more</u> concentrated there is <u>more</u> chance of a <u>collision</u>.



An animation on temperature: http://www.ltscotland.org.uk/high ersciences/chemistry/animation s/collision theory.asp



Why does this graph have a plateau?



# Application of collision theory to unimolecular reactions (Lindemann's Theory

### Lindemann theory (1922)

$$A + M \xrightarrow{k_1} A^* + M$$
 activation (via collisions)
$$A^* + M \xrightarrow{k_{-1}} A + M$$
 deactivation (via collisions)
$$A^* \xrightarrow{k_2} P \text{ (products)}$$
 decomposition (spontaneous)

M: any molecule (A, P or inert gas molecules added)

Rate equation for the energised molecules:

$$\frac{d[A^*]}{dt} = \underbrace{k_1[A][M]}_{\text{formation}} - \underbrace{k_{-1}[A^*][M]}_{\text{removal}} - k_2[A^*]$$

Considering  $A^*$  as a steady-state component:

$$k_1[{\bf A}][{\bf M}] \approx k_{-1}[{\bf A}^*][{\bf M}] + k_2[{\bf A}^*] \longrightarrow [{\bf A}^*] \approx \frac{k_1[{\bf A}][{\bf M}]}{k_{-1}[{\bf M}] + k_2}$$

## Lindemann theory

$$A + M \xrightarrow{k_1} A^* + M$$
 activation 
$$A^* + M \xrightarrow{k_{-1}} A + M$$
 deactivation 
$$A^* \xrightarrow{k_2} P \text{ (products)}$$
 decomposition

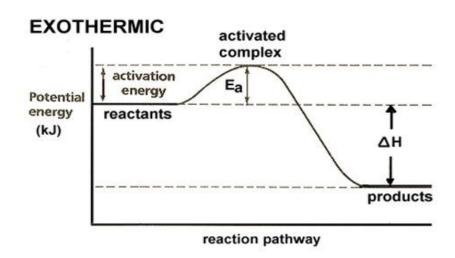
$$k_{\text{uni}}[A] = \frac{k_2 k_1[M][A]}{k_{-1}[M] + k_2}$$
  $\Longrightarrow$   $k_{\text{uni}} = \frac{k_2 k_1[M]}{k_{-1}[M] + k_2}$ 

In accordance with experiments

#### Activated complex theory or transition state theory

#### Transition State Theory

- -The energy changes in a chemical reaction can be shown in a graph called a potential energy diagram
- the high energy product is called an activated complex or a transition state complex
- -the energy needed to form the activated complex is the activation energy
- -The reaction pathway represents time or the progress of the reaction
- -The potential energy shows the amount of energy the chemicals have at different points



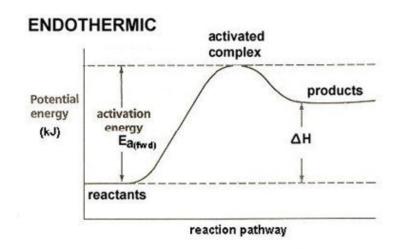
have at different points in the reaction

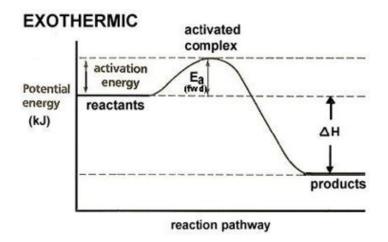
#### **Transition State Theory**

#### Activated complexes

- exist for only brief periods of time while the atoms rearrange themselves
- have high energy due to their formation by high energy collisions
- they are unstable but need to form in order to make the final product(s)
- the energy needed to form the activated complex is called the activation energy

#### POTENTIAL ENERGY DIAGRAMS





The equilibrium constant K<sup>#</sup> can be expressed in terms of standard Gibbs free energy change of activation  $(\Delta^{\neq} G^{o})$ 

$$\Delta^{\neq}G^{o} = -RT \ln K^{\neq}$$
  $\Delta^{\neq}G^{o} = \Delta^{\neq}H^{o} - T\Delta^{\neq}S^{o}$ 
 $K^{\neq} = e^{-\Delta^{\neq}G^{o}/RT} = e^{-\Delta^{\neq}H^{o}/RT} e^{\Delta^{\neq}S^{o}/R}$ 
 $k_{2} = k^{\neq}e^{-\Delta^{\neq}H^{o}/RT} e^{\Delta^{\neq}S^{o}/R}$ 

$$m{k}_2 = \left(rac{m{k}_B T}{m{h}}
ight) e^{-\Delta^{m{ au}} H^o/RT} \; e^{\Delta^{m{ au}} S^o/R} \; ext{Eyring Equation}$$

 $\Delta^{\neq} S^o = entropy of activation$  $\Delta^{\neq} H^o = enthalpy of activation$ 

## Difference Between Collision Theory and CTST

- Collision theory is only for reaction involving gaseous reactants .....while transition state theory can be applied to reactions taking place in solution as well as in the gas phase.
- In the collision theory reaction occurs when two molecules collide, but only if the collision is sufficiently vigorous
- transition state theory is used to explain in detail what happens when reactant molecules come together in a collision.

## 1.1.3 Classification of Reactions

Table 1.1.1

Classification of Chemical Reactions

Туре	$K dm^3 m^{-1} s^{-1}$	Half time $(t_{1/2})$
(1) slow	10 <sup>-7</sup>	10 <sup>8</sup> (About 3 years)
(2) Fast	$10^2 \text{ to } 10^5$	$10^{-1}$ to $10^{-4}$
(3) Ultrafast	About 10 <sup>11</sup>	$10^{-12}$ to $10^{-15}$

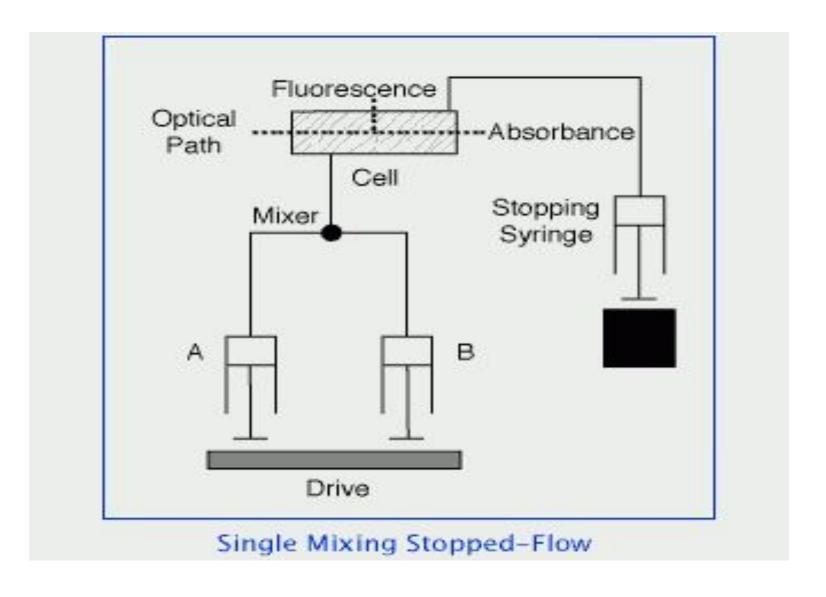
#### **Examples**

Slow: Reaction between hydrogen & oxygen to give water in absence of catalyst.

Fast: (a) Organic substitution reactions like bromination of aromatic amines and phenols

(b) Reaction of haemoglobin with O2 and CO2.

### Stop flow method to study fast reactions



## Polymers

### **Polymers**

- Definition A polymer is a molecule with a very high molecular weight which is composed of repeating simple structural units called monomers. Often referred to as macromolecules.
  - Homopolymer single recurring monomer
  - Heteropolymer or Copolymer at least 2 different monomer subunits

### Classification of Polymers

- Classification based on Source
- 1. Natural polymers
- E.g., Proteins, Cellulose, Starch, Rubber
- 2. Semi-synthetic polymers
  - E.g., Cellulose derivatives Cellulose acetate (Rayon)
- 3. Synthetic polymers
  - E.g., Buna-S, Buna-R, Nylon, Polythene, Polyester.



### Classification

- i) On the basis of origin
  - Natural
  - Synthetic

### ii) On the basis of nature of monomer

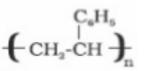
- Homopolymers (comprise of monomers of the same type)
  - Linear (homochain or heterochain)
  - Branched
  - Cross-linked
- Heteropolymers/ Copolymers (Different repeating units)
  - Linear; Branched; Graft (regular/irregular); Block (regular/irregular)

#### iii) On the basis of chemical nature

- Organic (polymer backbone chain made up of carbon atom)
- Inorganic (No carbon atoms in the backbone chain, eg., Silicone rubbers)

## By Thermal Response

## Thermoplastic Polymers



- They are easily moulded in desired shapes by heating and subsequent cooling at room temperature.
- They are soft in hot and hard on coding.
- ➤ They my be linear or branched chain polymers. E.g. PE, PVC, PS, PP



## Thermosetting Polymers

- This polymer is hard and infusible on heating.
- ➤ These are not soft on heating under pressure and they are not remolded.
- These are cross linked polymers and are not reused.

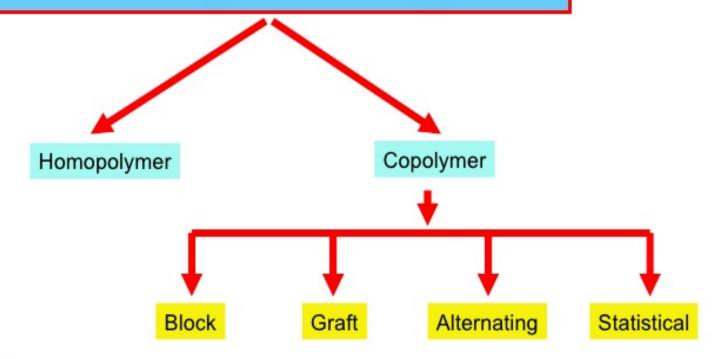
E.g. Bakelite



Bakelite

Bakelite

#### **Classification by Monomer Composition**



#### Homopolymer

Consist of only one type of constitutional repeating unit (A)

AAAAAAAAAAAAAAA

#### copolymer

Consists of two or more constitutional repeating units (A.B.)

#### Classification by Thermal Behavior

<u>Thermoplastics</u> - materials become fluid and processible upon heating, allowing them to be transformed into desired shapes that are stabilized by cooling.

<u>Thermosets</u> - initial mixture of reactive, low molar mass compounds reacts upon heating in the mold to form an insoluble, infusible network

#### Classification by Application

- Plastics
- □ Fibers
- □ Elastomers
- □ Coatings
- Adhesives

#### Classification Based on Kinetics or Mechanism

Step-growth

Chain-growth

## Molecular weight averages

To create a solid with useful mechanical properties the chain must be long!!

One may describe chain length in terms of polymer average molecular weight, which can be defined in several ways:

1. A number-average molecular weight  $M_n$ : divide chains into series of size ranges and then determine the number fraction  $N_i$  of each size range  $\overline{M_n} = \sum M_i N_i / \sum N_i$ 

where  $M_i$  represents the mean molecular weight of the size range i, and  $N_i$  is the fraction of total number of chains within the corresponding size range

2. A weight average molecular weight M<sub>w</sub> is based on the weight fraction w<sub>i</sub> within the size ranges:

$$\overline{M_{w}} = \sum M_{i} W_{i} / \sum W_{i}$$

(1) The number-average molecular weight for a discrete distribution of molecular weights is given as  $\sum_{i=1}^{N} N_i M_i = \sum_{i=1}^{N} W_i$ 

given as 
$$\overline{M}_{n} = \frac{\sum_{i=1}^{N} N_{i} M_{i}}{\sum_{i=1}^{N} N_{i}} = \frac{\sum_{i=1}^{N} W_{i}}{\sum_{i=1}^{N} (W_{i}/M_{i})}$$

where N is the total number of molecularweight species in the distribution.

(2) The weight-average molecular weight is given as

$$\overline{M}_{\mathbf{w}} = \frac{\sum_{i=1}^{N} N_{i} M_{i}^{2}}{\sum_{i=1}^{N} N_{i} M_{i}} = \frac{\sum_{i=1}^{N} W_{i} M_{i}}{\sum_{i=1}^{N} W_{i}}$$

A measure of the molecular-weight distribution is given by the ratios of molecular -weight averages.

For this purpose, the most commonly used ratio is Mw/Mn, which is called the polydispersity index or PDI.

$$PDI = M_w/M_n$$

 $M_w/M_n = 1$  monodisperse

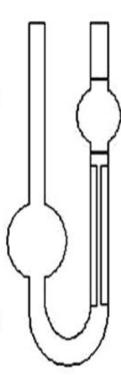
Polymer sample consisting of molecules all of which have the same chain length

 $M_w/M_n > 1$  polydisperse

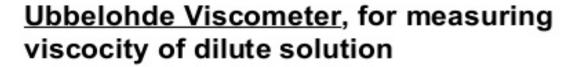
Polymer consisting of molecules with the variety of chain length

## **Determination of Viscosity of liquids**

- Using Ostwald Viscometer (Capillary-type viscometer):
- It is U-shaped glass apparatus with a wide arm and a narrow one with a capillary tube in the narrow part.
- There are two marks; above and below the bulb in the narrow part.
- In this method the viscosity of a liquid  $(\eta_1)$  can be determined in relation to another liquid of known viscosity  $(\eta_2)$ .



#### VISCOSITY MEASUREMENT



upper and lower level

(measure the flow time t, of solution, drop from upper level to lower level)

$$\eta = k\rho t$$
  $\rho = density of solution$ 

k = viscometer constant

t = flow time

If, t = time for solution

t<sub>o</sub> = time for solvent

 $\rho = \rho_o$  : dilute solution

 $\rho_0$  = solvent density



#### Viscometry

IUPAC suggested the terminology of solution viscosities as following.

Relative viscosity:

$$\eta_{\rm rel} = \frac{\eta}{\eta_{\rm o}} = \frac{t}{t_{\rm o}}$$

 $\eta$  : solution viscosity

η<sub>o</sub>: solvent viscosity

t: flow time of solution

t o: flow time of solvent

Specific viscosity:

$$\eta_{sp} = \frac{\eta - \eta_o}{\eta_o} = \frac{t - t_o}{t_o} = \eta_{rel} - 1$$

$$\eta_{rel} = \frac{\eta_{sp}}{c} = \frac{\eta_{rel} - 1}{c}$$

Reduced viscosity:

$$\eta_{inh} = \frac{\ln \eta_{rel}}{c}$$

Inherent viscosity:

$$[\eta] = (\frac{\eta_{sp}}{C})_{c=0} = (\eta_{inh})C = 0$$

Intrinsic viscosity:

#### Mark-Houwink equation

 Mark-Houwink equation is valid for broad molecular weight distribution:

$$\left[\eta\right] = K_m \overline{\mathbf{M}}_{v}^{a}$$

 $[\eta]$  = intrinsic viscosity

 $\overline{M}_{\cdot \cdot}$  = viscosity average molecular weight

K and a = constants for particular polymer-solvent combination

For flexible polymer chains a is 0.5 - 0.8, for stiff and rod like chains a is 2.0.

# Thank you